

Section 6.4 Answers

1) $\log_3(9) = 2$

7) $\ln(x) = y$

13) $3^4 = 81$

19) $10^3 = x$

25) $e^2 = e^2$

31) 0

37) 1

43) 7

49) 5

55) -2

61) -2.0969

3) $\log_3(81) = 4$

9) $\ln(20.09) = 3$

15) $2^6 = 64$

21) $e^1 = x$

27) 1

33) 0

39) 0

45) 3

51) 1

57) .7782

63) 1.9459

5) $\log_3 \frac{1}{3} = -1$

11) $\ln(2.72) = 1$

17) $6^1 = 6$

23) $e^w = 2x$

29) 1

35) 3

41) 2

47) 6

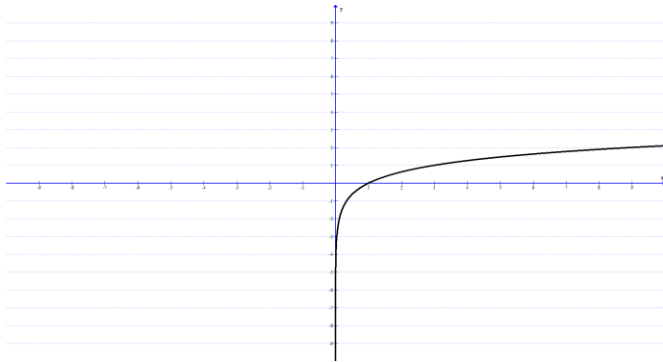
53) 3

59) -.4771

65) 2.7726

67a)

x	y	point
3^2	2	(9,2)
3^1	1	(3,1)
3^0	0	(1,0)
3^{-1}	-1	(1/3, -1)
3^{-2}	-2	(1/9, -2)



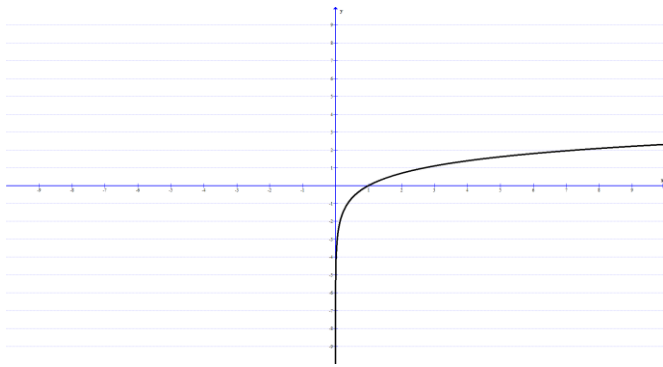
b) State the domain of each function.

67b) domain: $(0, \infty)$

69a)

Create a table of values, I will put the numbers 2,1,0,-1,-2 in the y column and solve for x.

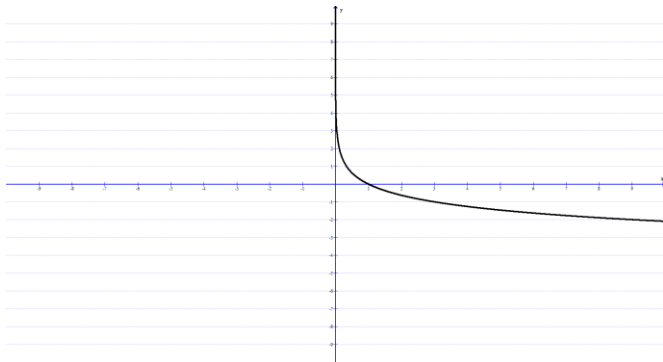
x	y	point
e^2	2	(7.39, 2)
e^1	1	(2.72, 1)
e^0	0	(1, 0)
e^{-1}	-1	(.37, -1)
e^{-2}	-2	(.14, -2)



69b) domain $(0, \infty)$

71a)

x	y	point
$\left(\frac{1}{3}\right)^2$	2	$(1/9, 2)$
$\left(\frac{1}{3}\right)^1$	1	$(1/3, 1)$
$\left(\frac{1}{3}\right)^0$	0	$(1, 0)$
$\left(\frac{1}{3}\right)^{-1}$	-1	$(3, -1)$
$\left(\frac{1}{3}\right)^{-2}$	-2	$(9, -2)$



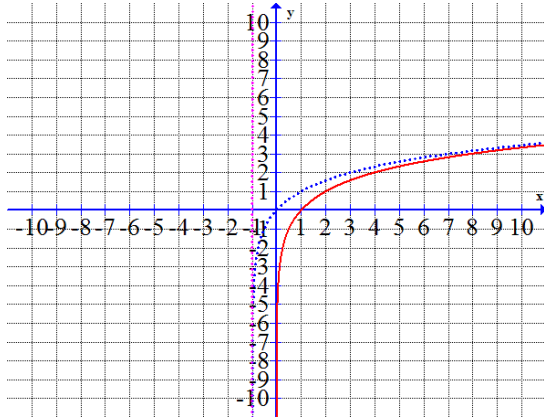
71b) domain $(0, \infty)$

73a) $f(x + 1) = \log_2(x + 1)$

73b) $x > -1$ or $(-1, \infty)$

73c) shifts left 1

73d) Graph of $f(x + 1)$ drawn in blue

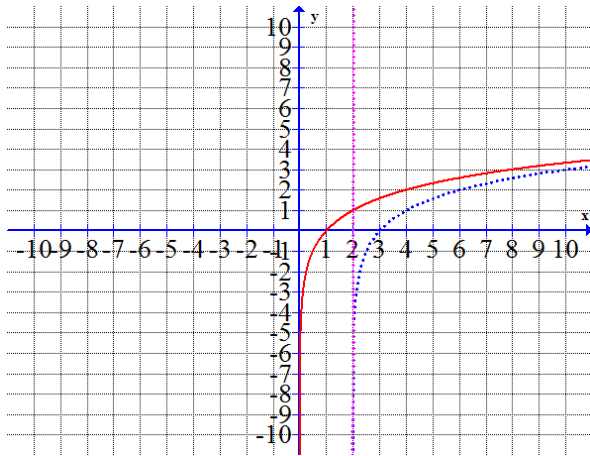


75a) $f(x - 2) = \log_2(x - 2)$

75b) $x > 2$ or $(2, \infty)$

75c) Shifts right 2

75d)



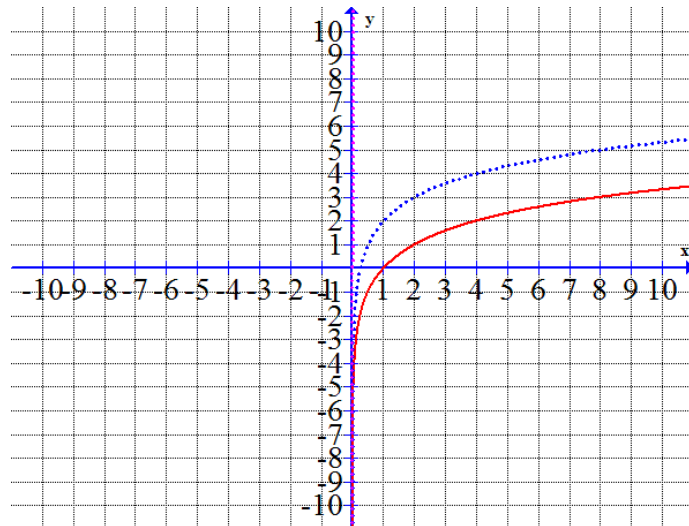
77a) $f(x) + 2 = \log_2(x) + 2$

77b) $x > 0$ or $(0, \infty)$

77c) shifted up 2 units

77d) Just shift each point in the graph of $f(x)$ two units to the up. I showed the $x > 0$ domain as a vertical asymptote drawn in purple. The graph will not exist to the left of this vertical line $x = 0$.

Graph of $f(x) + 2$ drawn in blue



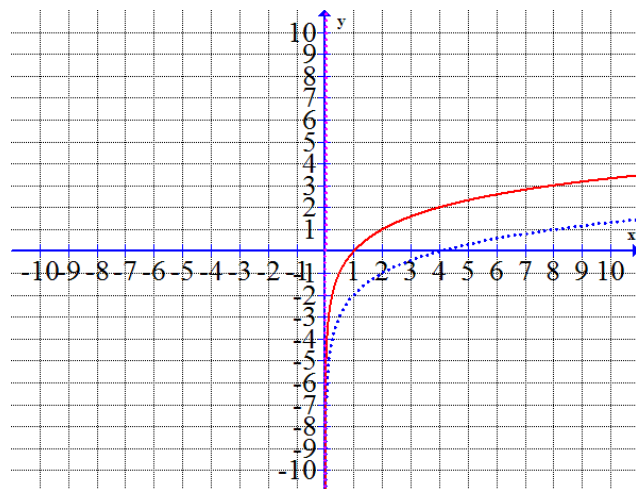
79a) $f(x) - 2 = \log_2(x) - 2$

79b) $x > 0$ or $(0, \infty)$

79c) Shifted down 2 units

79d) Just shift each point in the graph of $f(x)$ two units to the down. I showed the $x > 0$ domain as a vertical asymptote drawn in purple. The graph will not exist to the left of this vertical line $x = 0$.

Graph of $f(x) - 2$ drawn in blue



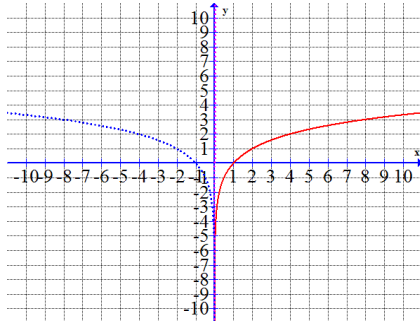
81a) $f(-x) = \log_2(-x)$

81b) any of these three answers are correct, you only need to give one answer.

$0 > x$ or $x < 0$ or $(-\infty, 0)$

81c) reflects over the y-axis

81d) Just reflect each point over the y-axis. The graph will now only exist to the left of the y-axis. The vertical asymptote will still be at $x = 0$ (or the y-axis). It's now the right edge of the graph as opposed to the left edge of the graph.



83a) $3f(x) = 3\log_2(x)$

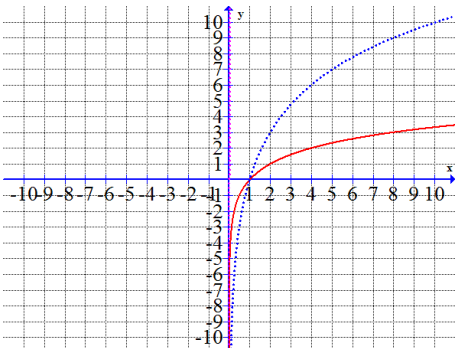
83b) $x > 0$ or $(0, \infty)$

83c) stretches the graph

83d) This is a non-rigid transformation. I need to make a table of values to sketch an accurate graph.

We can use the x's from the given table. We create y's by multiplying each y-value by 3.

$3f(x)$ is drawn in blue. The vertical asymptote is drawn in purple.



Here are the points that are marked in the original graph

x	f(x)
.25	-2
.5	-1
1	0
2	1
4	2

The table for $3f(x)$ will have the same x-values, but the y's will be multiplied by 3.

Here is the table for $3f(x)$

x	$3f(x)$
.25	-6
.5	-3
1	0
2	3
4	6